

CO2	K3	12a.	Estimate the sum the series $\frac{1}{10} + \frac{1}{10} \cdot \frac{4}{20} + \frac{1}{10} \cdot \frac{4}{20} \cdot \frac{7}{30} + \dots$ (OR)
CO2	K3	12b.	Determine the proof of $\log x = \frac{x-1}{x+1} + \frac{1}{2} \frac{x^2-1}{(x+1)^2} + \frac{1}{3} \frac{x^3-1}{(x+1)^3} + \dots$.
CO3	K4	13a.	Infer the roots of $x^4 + 2x^3 - 5x^2 + 6x + 2 = 0$, given that $1+i$ is a root. (OR)
CO3	K4	13b.	Conclude the roots of $6x^3 - 11x^2 - 3x + 2 = 0$ given that its root are in H.P.
CO4	K4	14a.	Comment on the value of y_n if $y = e^{mx} \sin(ax+b)$. (OR)
CO4	K4	14b.	Discover the maximum and minimum value of the function $f(x,y) = x^2y^2 - x^2 - y^2$.
CO5	K5	15a.	Predict the value of $\lim_{x \rightarrow 0} \frac{1-\cos x}{x}$. (OR)
CO5	K5	15b.	Justify the value of $\frac{d}{dx} [\sqrt{x}(x^2 + 2)]$.

Course Outcome	Bloom's K-level	Q. No.	SECTION - C (5 X 8 = 40 Marks) Answer ALL Questions choosing either (a) or (b)
CO1	K3	16a.	Utilize partial fractions method and split $\frac{x+4}{(x^2-4)(x+1)}$. (OR)
CO1	K3	16b.	Construct the proof of $\frac{1}{(1-ax)^2(1-bx)} = \frac{A}{(1-ax)^2} + \frac{AB}{1-ax} + \frac{B^2}{1-bx}$ if $\frac{1}{(1-ax)(1-bx)} = \frac{A}{1-ax} + \frac{B}{1-bx}$
CO2	K4	17a.	Inspect the result: $\frac{1+\frac{1}{2!}+\frac{2}{3!}+\frac{2^2}{4!}+\dots}{1+\frac{1}{2!}+\frac{1}{4!}+\frac{1}{6!}+\dots} = \frac{e}{2}$. (OR)
CO2	K4	17b.	Illustrate the proof of $\log \sqrt{12} = 1 + \left(\frac{1}{2} + \frac{1}{3}\right) \frac{1}{4} + \left(\frac{1}{4} + \frac{1}{5}\right) \frac{1}{4^2} + \left(\frac{1}{6} + \frac{1}{7}\right) \frac{1}{4^3} + \dots$.
CO3	K4	18a.	Categorize the roots $3x^4 - 40x^3 + 130x^2 - 120x + 27 = 0$, given that its roots are in G.P. (OR)
CO3	K4	18b.	Assuming α, β, γ are the roots of $x^3 + ax^2 + bx + c = 0$, find the equation whose roots are $\beta + \gamma - 2\alpha$, $\gamma + \alpha - 2\beta$, $\alpha + \beta - 2\gamma$.
CO4	K5	19a.	Justify the proof of $x \frac{\partial u}{\partial x} + y \frac{\partial u}{\partial y} = \sin 2u$ if $u = \tan^{-1} \left(\frac{x^3+y^3}{x-y} \right)$. (OR)
CO4	K5	19b.	Defend the proof of $y_n = \frac{(-1)^n n!}{x^{n+1}} \left[\log x - 1 - \frac{1}{2} - \frac{1}{3} - \dots - \frac{1}{n} \right]$, if $y = \frac{\log x}{x}$.
CO5	K5	20a.	Evaluate the differential coefficient of (i) $\tan x$ (ii) $\sec x$. (OR)
CO5	K5	20b.	Find the Differentiation of (i) $(1+x^2)\tan^{-1}x$ (ii) $\tan^{-1} \left(\frac{\cos x}{1+\sin x} \right)$.